

Characterization of anisotropic particles by rheo-optics

Naveen Krishna Reddy¹, Peter Lang², Jorge P. Juste³, Isabel P. Santos³,

Luis M. Liz-Marzan³, Jan K. G. Dhont², Jan Vermant^{1*}

¹Katholieke Universiteit Leuven, Chemical Engineering, 3001 Leuven, Belgium; ²Forschungszentrum Jülich, IFF, Weiche Materie, 52425 Jülich, Germany

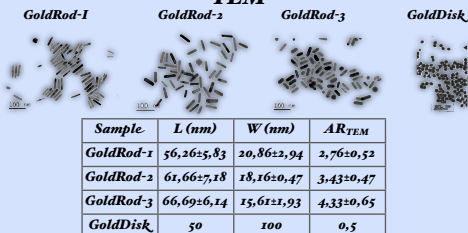
³Universidad de Vigo, Departamento de Química Física, 36310 Vigo, Spain

jan.vermant@cit.kuleuven.be

Abstract

Anisotropic nanoparticles are being increasingly used in many applications. Presently, dimensions of nanoparticles are mainly obtained by transmission electron microscopy (TEM). The average dimensions from TEM are obtained by image analysis of a few hundred particles, resulting in poor statistical average. Also, microscopy does not provide any information on the hydrodynamic dimensions. For studies of dynamical properties such as sedimentation or rheology, hydrodynamic dimensions of the particle are more important than the actual physical dimensions. In the present work, a rheo-optical technique (dichroism) is used, which gives a faster and better statistical average of the hydrodynamic aspect ratio and the associated polydispersity. Results obtained from dichroism for stiff gold rods and gold decahedrons will be presented. Results for gold rods will be compared to those obtained from TEM and dynamic light scattering (DLS).

TEM



Rheo-optics

Dichroism

The difference between the imaginary parts of the refractive indices of the medium measured parallel and perpendicular to the average particle orientation $\Delta n'' = n''_{||} - n''_{\perp}$

$$\Delta n'' = \frac{\delta'' \lambda}{2\pi d}$$

δ'' Extinction coefficient
 λ Wave length of light
 d Optical path length

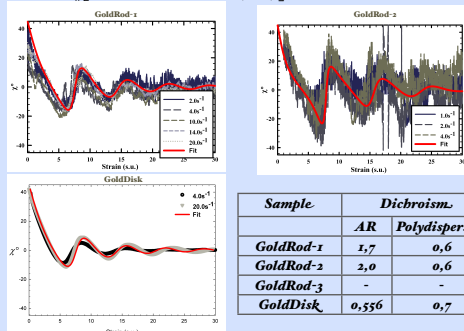
$$\chi$$
 Orientational angle
 r Particle aspect ratio

Flow start up

Tumbling $2 \int_0^{\frac{1}{2}} (r - r^{-1}) \sin\left(\frac{4\pi t}{T}\right) g(r) dr$

Tumbling period $T = \frac{2\pi}{\dot{\gamma}} \left(r + \frac{1}{r}\right)$

$\tan 2\chi = \frac{\int_0^{\frac{1}{2}} \left[(r^2 - r^{-2}) - (r^2 - r^{-2}) \cos\left(\frac{4\pi t}{T}\right) \right] g(r) dr}{\int_0^{\frac{1}{2}} g(r) dr}$



Fuller, G. G., *Optical Rheometry of Complex Fluids*, Oxford Univ. Press Oxford (1995)
Vermant, J. et al., *AIChE*, 2001, 47, 790

Dynamic Light Scattering

Rotational diffusion

$$I(Q, \omega) = I_{\text{iso}}(Q, \omega) + I_{\text{anis}}(Q, \omega)$$

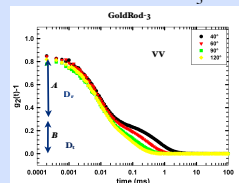
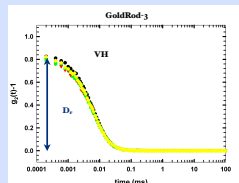
$$I(Q, \omega) \propto S(Q, \omega)$$

$$g_i(t) = \tilde{S}_{\text{iso}}(Q, t) + \tilde{S}_{\text{anis}}(Q, t)$$



Translational diffusion

$$\bar{D}_{\text{app}} = \frac{2D_t + D_r}{3}$$



Rotational

Method-1

$$\frac{A}{B} \propto f(\alpha_{||}, \alpha_{\perp}) \propto f(L, d)$$

$$\frac{A}{B} = \frac{5}{4} \frac{\alpha_{||}^2}{\langle (\alpha_{||} - \alpha_{\perp})^2 \rangle}$$

| Sample | AR | |
|-----------|----------|----------|
| | Method-1 | Method-2 |
| GoldRod-1 | 2,58 | 2,22 |
| GoldRod-2 | 3,19 | 2,66 |
| GoldRod-3 | 3,43 | 3,16 |

$$D_r = \frac{3k_B T (\ln(L/d_{\text{eff}}) + C_r)}{\pi \eta L^3}$$

$$\bar{D} = \frac{k_B T (\ln(L/d_{\text{eff}}) + \bar{C})}{3\pi \eta L}$$

Pecora, R. *J. Chem. Phys.* 1968, 49, 1036

Ortega A. Garcia de la Torre *J. Chem. Phys.* 2003, 119, 9914

Broerema S. *J. Chem. Phys.* 1960, 32, 1626, 1632

Jessica, R. et al. *J. Phys. Chem. C* 2007, 111, 5020

Conclusions

-TEM - only physical aspect ratio (less statistics)

-DLS - hydrodynamic aspect ratio

. Assumption - stabilizing layer thickness (method-1)

. Method-2 can be used only for 2>AR<20

. No information about polydispersity

-Rheo-optics - hydrodynamic aspect ratio and polydispersity

. Assumption - ellipsoid - small aspect ratio

. Pe number should be high